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1st Sessional Compiler Design

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Q1 a)

$f = c * 1.8 + 32$

(character stream)

Lexical Analyser (uses DFA)

$\langle id, 1 \rangle \langle assign \rangle \langle id, 2 \rangle \langle multop \rangle$
 $\langle fconst, 1.8 \rangle \langle addop \rangle \langle icconst, 32 \rangle$

(Token stream)

Syntax Analyser (uses PDA)

$=$
id +
* 32
id 1.8

(syntax tree)

Semantic Analyser (uses LBAs & RTMS)

$=$
id1 +
* inttofloat
id2 1.8 32.

(annotates syntax tree)

Intermediate Code generator

$t_1 = id_2 * 1.8$
 $t_2 = inttofloat(32)$
 $t_3 = t_1 + t_2$
 $id_1 = t_3$

(intermediate code)

Code optimizer

$t_1 = id_2 * 1.8$
 $id_1 = t_1 + 32.0$

(optimizes intermediate code)

Code generator

LDF R2, id2
MULF R2, R2, 1.8
ADD R2, R2, 32.0
STF id1, R2

(Target Machine code)

Symbol Table

Lexical Analyser
- checks misspelling

Syntax Analyser
- checks structure of sentence

Semantic Analyser
- checks logic of program.

Intermediate Code Generator

Code optimizer

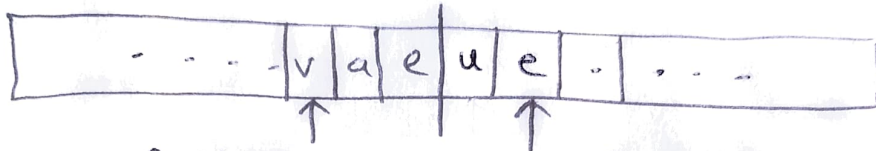
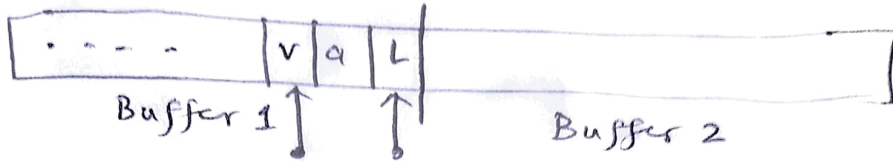
Code generator

Q1. b) Importance of two buffer scheme of Lexical Analysis.

- If a token is not completely brought into the buffer, it presents the problem of wrong lexical analysis.
- To solve this problem without requiring dynamic allocation of buffer, two buffer scheme is adopted
- The buffer part in which lexical analyser is currently working is not replaced immediately rather the remaining part is brought into the second buffer & the token which is broken into into two parts between two buffers can be

correctly analysed using caterpillar movement of pointers as long as length of token is not more than size of second buffer & remaining

... value ...



Buffer 1
(Not overwritten)

Buffer 2
(Brought in next block containing
'ue' part of 'value')

Q2. Rules to compute First()

1. If x is a terminal $\rightarrow \text{FIRST}(x) = \{x\}$.
2. If x is a non terminal
3. If x is nonterminal & $x \rightarrow Y_1 Y_2 \dots Y_k$, then place 'a' in $\text{FIRST}(x)$ if for some i , 'a' is in $\text{FIRST}(Y_i)$, and ϵ is in all of $\text{FIRST}(Y_1) \dots \text{FIRST}(Y_{i-1})$ i.e. $Y_1, \dots, Y_{i-1} \xrightarrow{*} \epsilon$. If ϵ is in $\text{FIRST}(Y_j)$ for all $j = 1$ to k . Then add ϵ to $\text{FIRST}(x)$.
4. If $x \rightarrow \epsilon$ is a production, then add ϵ to $\text{FIRST}(x)$.

Rules to Compute Follow()

1. Place $\$$ in $\text{FOLLOW}(S)$ where S is start symbol. ($\$$ is the input right endmarker)
2. If there is a production $A \rightarrow \alpha B \beta$, then everything in $\text{FIRST}(\beta)$ except ϵ is in $\text{FOLLOW}(B)$.
3. If there is a production $A \rightarrow \alpha B$, or a production $A \rightarrow \alpha B \beta$ where $\text{FIRST}(\beta)$ contains ϵ , then everything in $\text{FOLLOW}(A)$ is in $\text{FOLLOW}(B)$.

Example.

- G :
- $S \rightarrow ABC$
 - $A \rightarrow a | b | \epsilon$
 - $B \rightarrow c | d | \epsilon$
 - $C \rightarrow e | f | \epsilon$

$$\text{FIRST}(A) = \text{FIRST}(a) \cup \text{FIRST}(b) \cup \text{FIRST}(\epsilon) = \{a, b, \epsilon\}$$

$$\text{FIRST}(B) = \text{FIRST}(c) \cup \text{FIRST}(d) \cup \text{FIRST}(\epsilon) = \{c, d, \epsilon\}$$

$$\text{FIRST}(C) = \text{FIRST}(e) \cup \text{FIRST}(f) \cup \text{FIRST}(\epsilon) = \{e, f, \epsilon\}$$

$$\text{FIRST}(S) = \text{FIRST}(A)$$

but if $A \rightarrow \epsilon$, then $\text{FIRST}(B)$

but if $A, B \rightarrow \epsilon$ then $\text{FIRST}(C)$.

$$= \text{FIRST}(A) \cup \text{FIRST}(B) \cup \text{FIRST}(C)$$

$$= \{a, b, c, d, e, f, \epsilon\}$$

$$\text{Follow}(S) = \{\$\}$$

(because S doesn't appear in RHS of any production)

$$\text{Follow}(A) = \text{First}(B)$$

but if $B \rightarrow \epsilon$, then $\text{First}(C)$

but if $B, C \rightarrow \epsilon$, then $\text{Follow}(S)$.

$$= \text{First}(B) \cup \text{First}(C) \cup \text{Follow}(S)$$

$$= \{c, d, e, f, \$\}$$

$$\text{Follow}(B) = \text{First}(C)$$

but if $C \rightarrow \epsilon$, then $\text{Follow}(S)$

$$= \text{First}(C) \cup \text{Follow}(S)$$

$$= \{e, f, \$\}$$

$$\text{Follow}(C) = \text{Follow}(S)$$

$$= \{\$\}$$

∴ Finally,

$$\text{First}(A) = \{a, b, \epsilon\}$$

$$\text{First}(B) = \{c, d, \epsilon\}$$

$$\text{First}(C) = \{e, f, \epsilon\}$$

$$\text{First}(S) = \{a, b, c, d, e, f, \epsilon\}$$

$$\text{Follow}(A) = \{c, d, e, f, \$\}$$

$$\text{Follow}(B) = \{e, f, \$\}$$

$$\text{Follow}(C) = \{\$\}$$

$$\text{Follow}(S) = \{\$\}$$

Q3. Given Grammar:

$$G: S \rightarrow sbA \mid Ba.$$

$$B \rightarrow bB \mid t$$

$$A \rightarrow aA \mid ab.$$

(i) Making grammar suitable for parsing.

step 1: Removing left recursion
ie productions of type $A \rightarrow A\alpha \mid B$ $\alpha, \beta \in (V \cup \epsilon)^+$
replaced with $A \rightarrow \beta A'$
 $A' \rightarrow \alpha A' \mid \epsilon$.

There is left recursion in production $S \rightarrow sbA$ in $G \rightarrow$ modified grammar will be

$$G' : \begin{aligned} S &\rightarrow BaS' \\ S' &\rightarrow bAS' \mid \epsilon. \\ B &\rightarrow bB \mid t \\ A &\rightarrow aA \mid ab. \end{aligned}$$

step 2: Application of Left Factoring.
ie productions of type $A \rightarrow \alpha\beta_1 \mid \alpha\beta_2 \mid \alpha\beta_3 \mid \dots$
replaced with $A \rightarrow \alpha A'$
 $A' \rightarrow \beta_1 \mid \beta_2 \mid \beta_3 \mid \dots$

Left factoring can be applied to production $A \rightarrow aA \mid ab$ of $G' \rightarrow$ modified grammar will be

$$G'' : \begin{aligned} S &\rightarrow BaS' \\ S' &\rightarrow bAS' \mid \epsilon. \\ B &\rightarrow bB \mid t \\ A &\rightarrow aA' \\ A' &\rightarrow A \mid b \end{aligned}$$

(ii) Producing Parsing Table of G'' .

$$\begin{aligned}
 G'' : S &\rightarrow BaS' \\
 S' &\rightarrow bAS' \mid \epsilon \\
 B &\rightarrow bB \mid t \\
 A &\rightarrow aA' \\
 A' &\rightarrow A \mid b.
 \end{aligned}$$

Step 1: calculating $First()$ & $Follow()$ sets

$$First(A) = \{a\}.$$

$$First(B) = \{b, t\}.$$

$$First(A') = \{b\}.$$

$$First(S') = \{b, \epsilon\}.$$

$$First(S) = First(B) = \{b\}$$

& $B \xrightarrow{*} \epsilon$
does not occur

$$Follow(S) = \{\$ \}$$

~~S~~ S don't occur anywhere
in RHS of any production

$$Follow(S') = Follow(S) = \{\$ \}.$$

$$Follow(B) = First(a) = \{a\}.$$

$$Follow(A) = \text{---}$$

$$Follow(A') = \text{---}$$

Step 2: construction of parsing table

	a	b	t	\$
S		$S \rightarrow BaS'$	$S \rightarrow BaS'$	
S'		$S' \rightarrow bAS'$		$S' \rightarrow \epsilon$
B		$B \rightarrow bB$	$B \rightarrow t$	
A	$A \rightarrow aA'$			
A'	$A' \rightarrow A$	$A' \rightarrow b$		

$$S \rightarrow BaS' \rightarrow First(RHS) = First(B) = \{b, t\}.$$

$$S' \rightarrow bAS' \rightarrow First(RHS) = First(b) = \{b\}.$$

$$B \rightarrow bB \text{ or } B \rightarrow t \rightarrow First(RHS) = First(b) = \{b\}.$$

$$B \rightarrow t \rightarrow First(RHS) = First(t) = \{t\}.$$

$$A \rightarrow aA' \rightarrow First(RHS) = First(a) = \{a\}.$$

$$A' \rightarrow A \rightarrow First(A) = \{a\}.$$

$$\begin{aligned}
 S' \rightarrow \epsilon &\rightarrow Follow(LHS) \\
 &\rightarrow Follow(S') \\
 &= \{\$ \}
 \end{aligned}$$

(iii) Taking a random example & parsing it.

sentence : bata.

STACK	INPUT	OUTPUT
\$ S	b a t a .	$S \rightarrow b a S'$
\$ S' a B .	b a t a .	$B \rightarrow b B .$
\$ S' a B b $\xleftrightarrow{\text{match}}$	b a t a	
\$ S' a B	a t a	X
		dead.

\therefore string Not Parsed.
bata \neq language generated by G"